

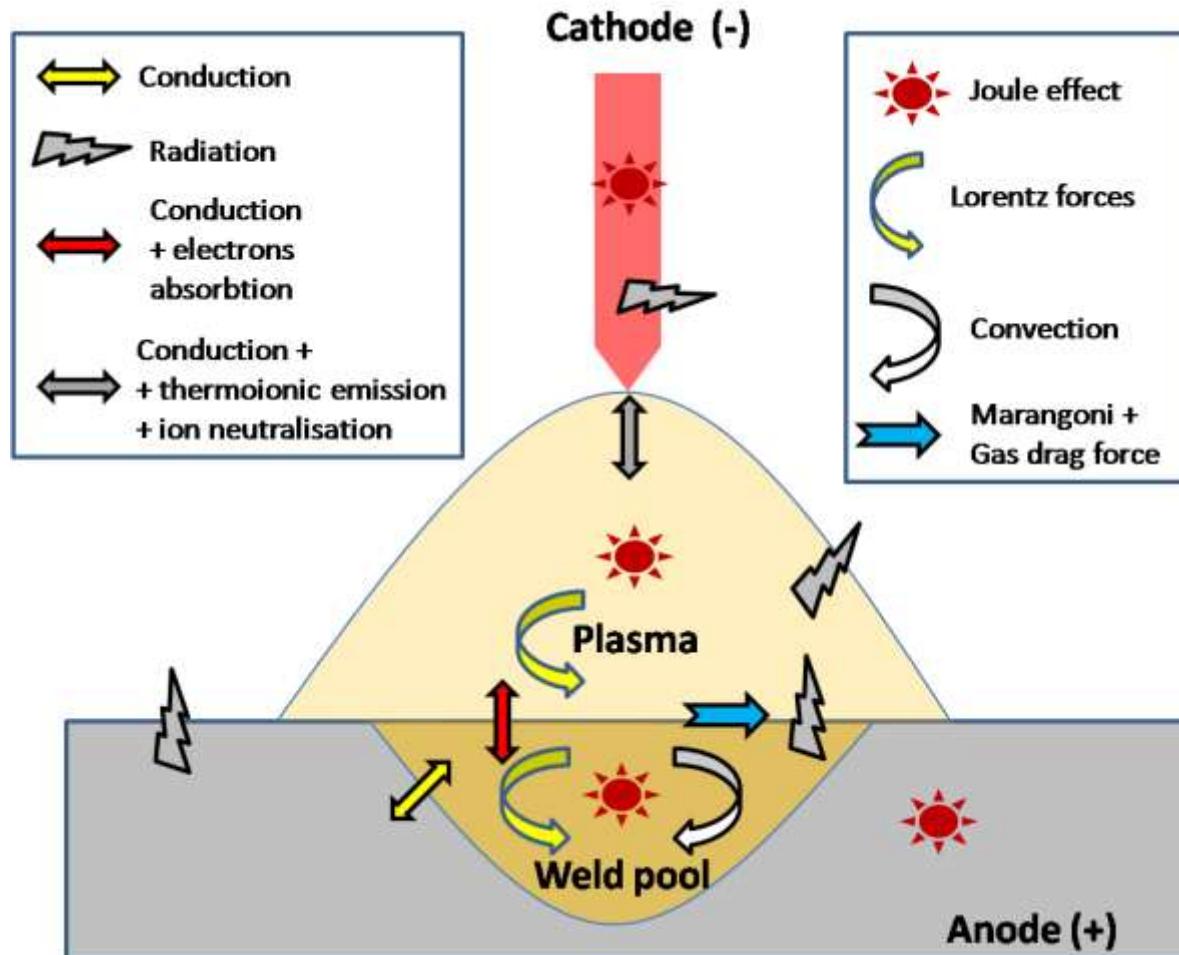
A Transient Unified Model of Arc Weld Pool Couplings during Spot GTA Welding

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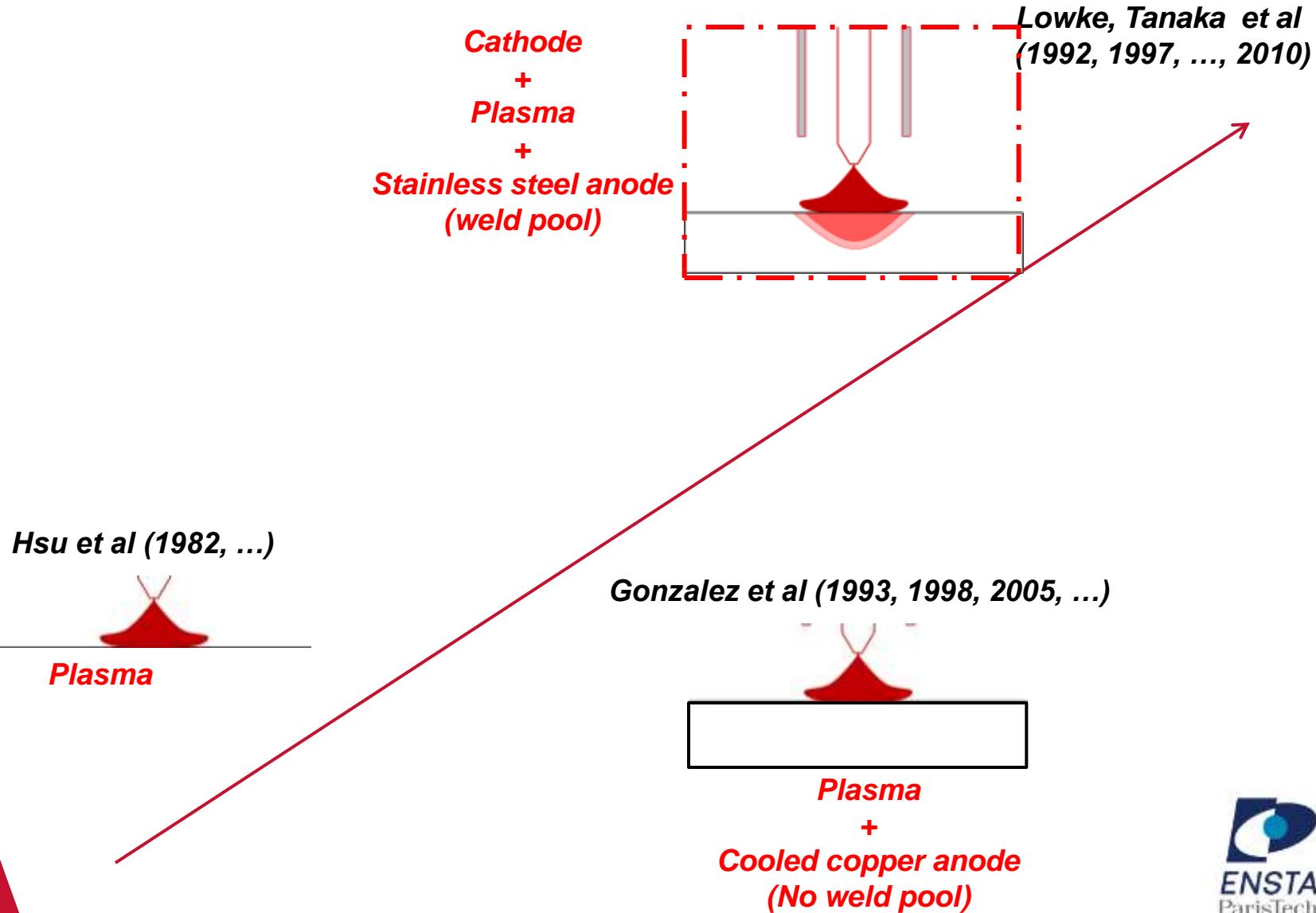
COMSOL Conference, Boston 2010

► Gas Tungsten Arc Welding – Tungsten Inert Gas



A highly coupled multiphysics problem

► State of art – Towards a unified formulation



► Toward a unified model

Mathematical formulation

Inside the cathode, plasma, and anode

$$\nabla \cdot \left(\sigma \nabla V + \sigma \frac{\partial \vec{A}}{\partial t} \right) = 0$$

$$\sigma \frac{\partial \vec{A}}{\partial t} + \nabla \times \left(\frac{1}{\mu_0} \nabla \times \vec{A} \right) + \sigma \nabla V = \vec{0}$$

$$\begin{aligned} \nabla \cdot \vec{v} &= 0 \\ \rho \left(\frac{\partial \vec{v}}{\partial t} + \vec{v} \cdot \nabla \vec{v} \right) &= - \nabla p + \mu \nabla \cdot (\nabla \vec{v} + {}^t \nabla \vec{v}) \\ &\quad + \vec{j} \times \vec{B} + \rho_0 \vec{g} + w_p \rho_0 \beta (T - T_{ref}) \vec{g} \\ \rho C_p^{eq} \left(\frac{\partial T}{\partial t} + \vec{v} \cdot \nabla T \right) &= \nabla \cdot (\lambda \nabla T) + \vec{j} \cdot \vec{E} \\ &\quad + \frac{5k_B}{2e} \vec{j} \cdot \nabla T - (1 - w_p) \cdot 4\pi \epsilon_N \end{aligned}$$

$$P_a - \lambda - \rho g \varphi = -\gamma \frac{r \varphi_{rr} + \varphi_r (1 + \varphi_r^2)}{r (1 + \varphi_r^2)^{\frac{3}{2}}}$$

$$\lambda + \rho g (L + \psi) = -\gamma \frac{r \psi_{rr} + \psi_r (1 + \psi_r^2)}{r (1 + \psi_r^2)^{\frac{3}{2}}}$$

Main boundary conditions

Plasma-cathode interface

$$[-k \nabla T \cdot (-\vec{n})]_{cathode} - [-k \nabla T \cdot (-\vec{n})]_{plasma} = j_i V_i - j_e \phi_c - \varepsilon \sigma_B T^4$$

Plasma-anode interface

$$[-k \nabla T \cdot (-\vec{n})]_{anode} - [-k \nabla T \cdot (-\vec{n})]_{plasma} = |\vec{j} \cdot \vec{n}| \phi_a - \varepsilon \sigma_B T^4$$

$$\mu \frac{\partial (\vec{v} \cdot \vec{s})}{\partial \vec{n}} = \vec{\tau}_a + f_L \frac{\partial \gamma}{\partial T} \frac{\partial T}{\partial \vec{s}}$$

$$\frac{\partial \gamma}{\partial T} = -A_\gamma - R_g \Gamma_s \ln(1 + K a_s) - \frac{K a_s}{1 + K a_s} \Gamma_s \frac{\Delta H_0}{T}$$

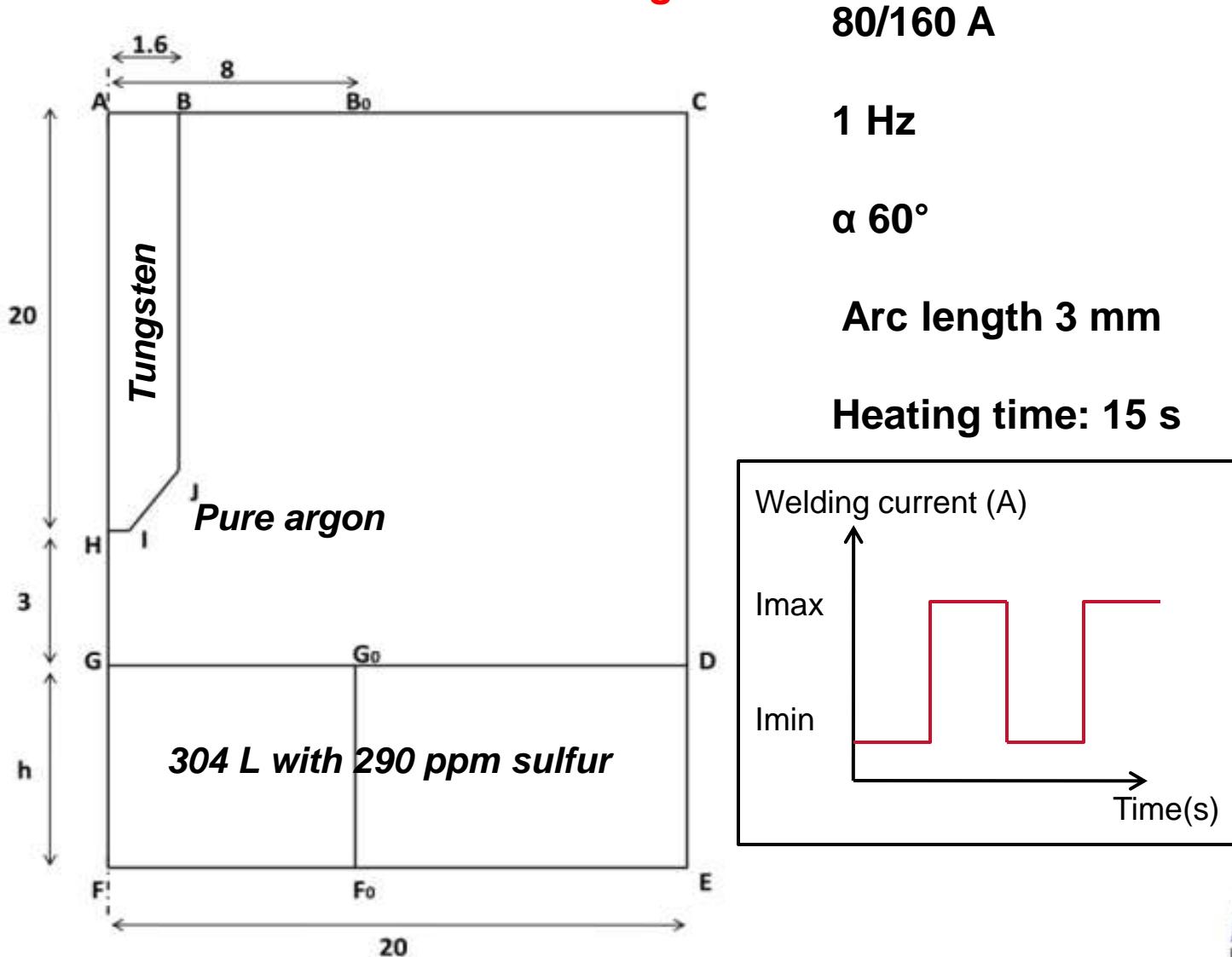
$$K(T) = k_1 \exp\left(-\frac{\Delta H_0}{R_g T}\right)$$

Free surfaces of the weld pool

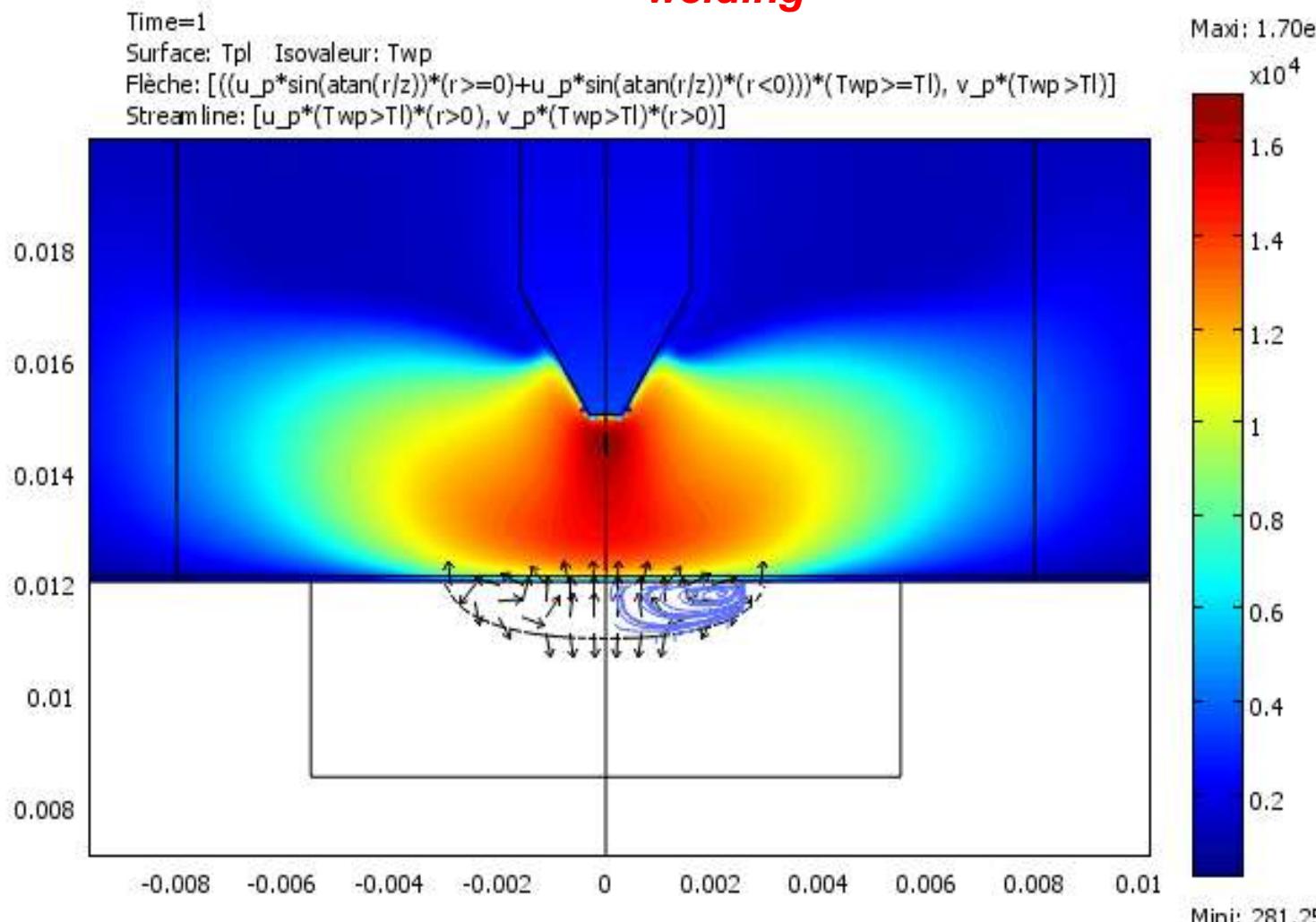
$$\vec{\tau} = \mu \frac{\partial (\vec{v} \cdot \vec{s})}{\partial \vec{n}} = f_L \frac{\partial \gamma}{\partial T} \frac{\partial T}{\partial \vec{s}}$$

$$\vec{q} \cdot \vec{n} = h(T - T_0)$$

$$\int_0^{rt} 2\pi \varphi(r) r dr = \int_0^{rb} 2\pi \psi(r) r dr$$

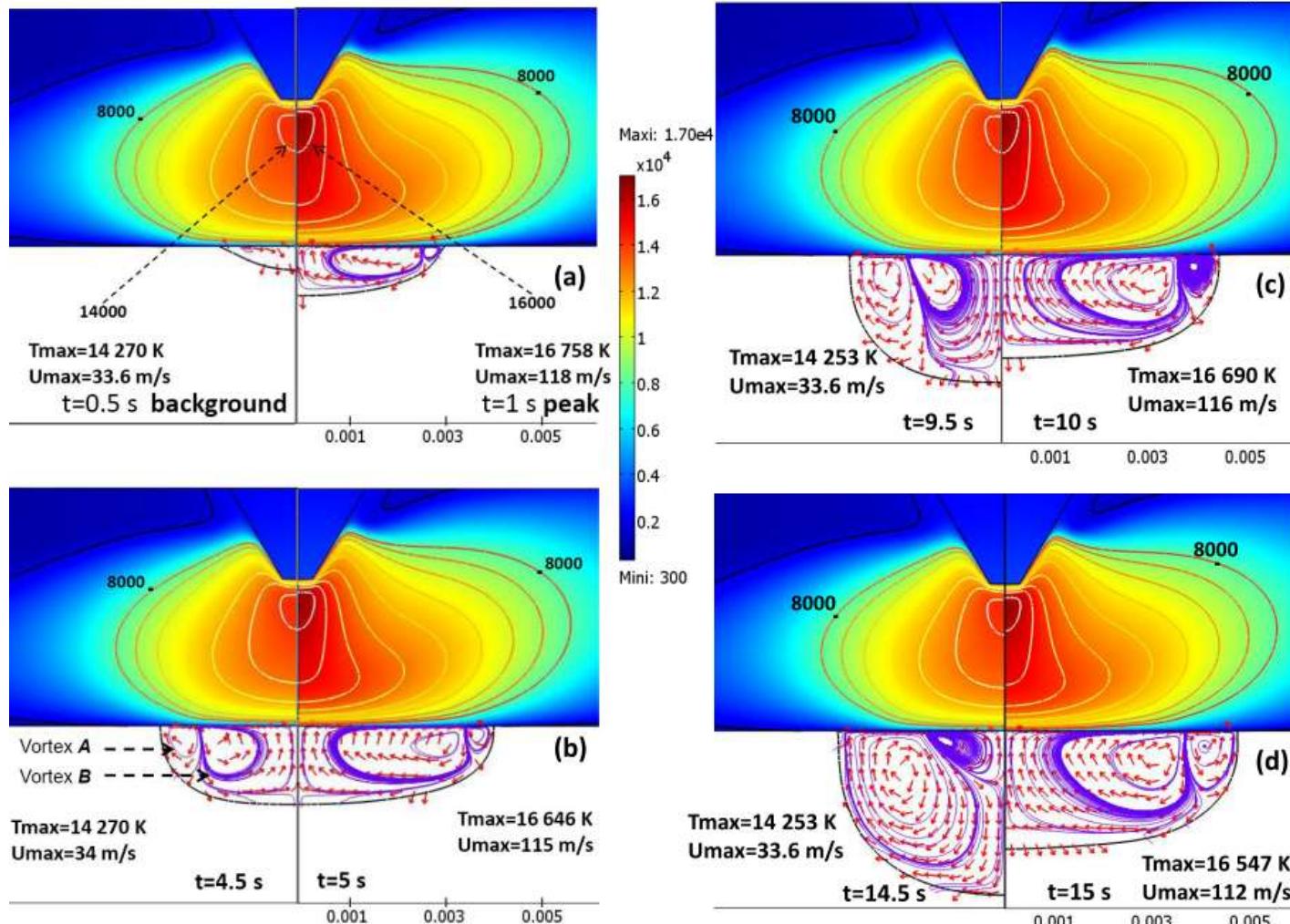
Application to pulsed current welding

► Results

*Application to pulsed current welding*80/160 A- 1 Hz
 α 60°- h 3 mm

Mini: 281.25

► Results

*Application to pulsed current welding*80/160 A- 1 Hz
 α 60°- h 3 mm

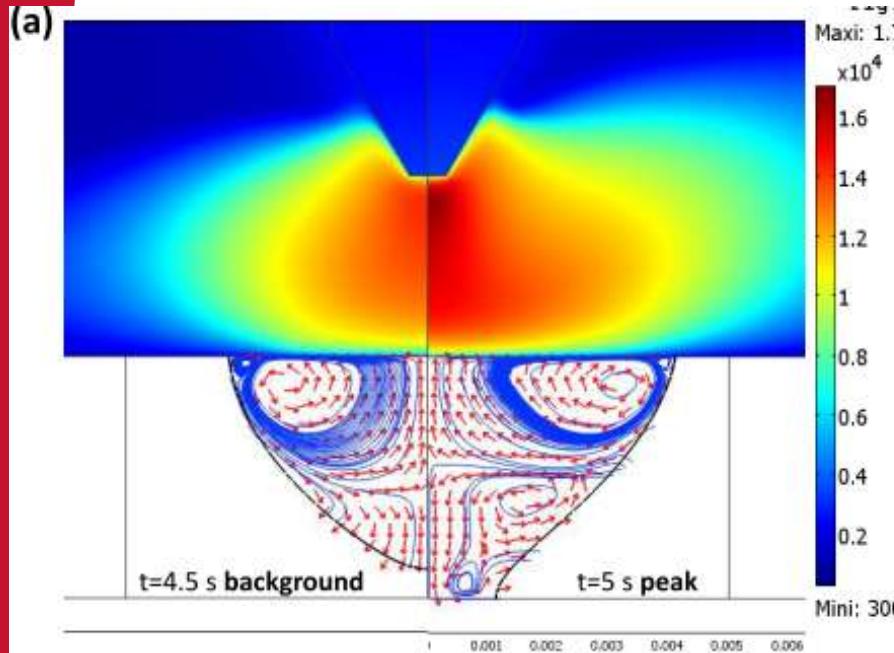
Details about the weld pool evolution in: A. Traidia, F. Roger, E. Guyot. "Optimal parameters for pulsed gas tungsten arc welding in partially and fully penetrated weld pools". IJTS 2010.

► Results

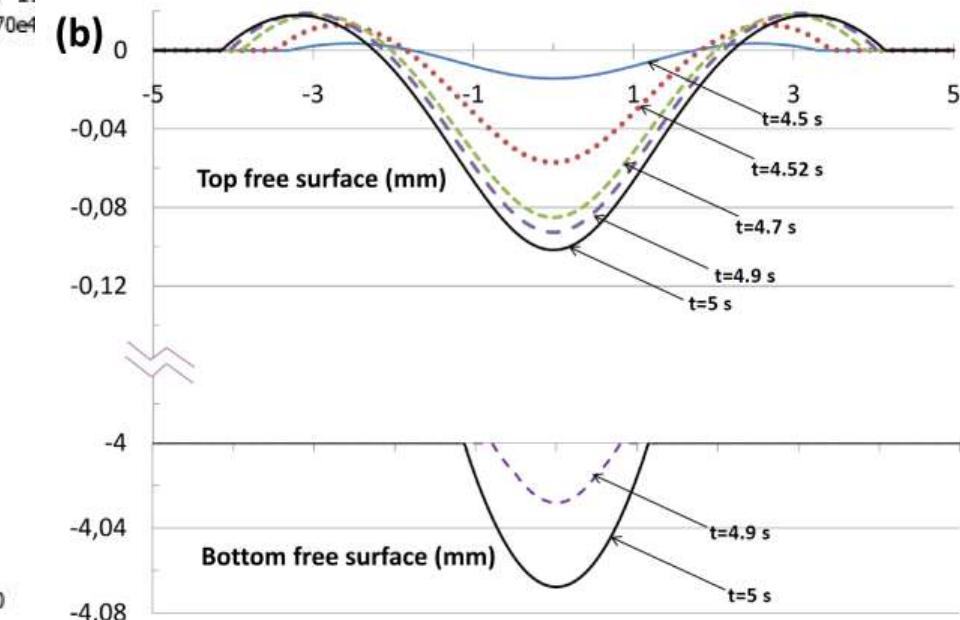
Application to pulsed current welding

80/160 A- 1 Hz
 α 60°- h 3 mm

► Fully penetrated weld pool



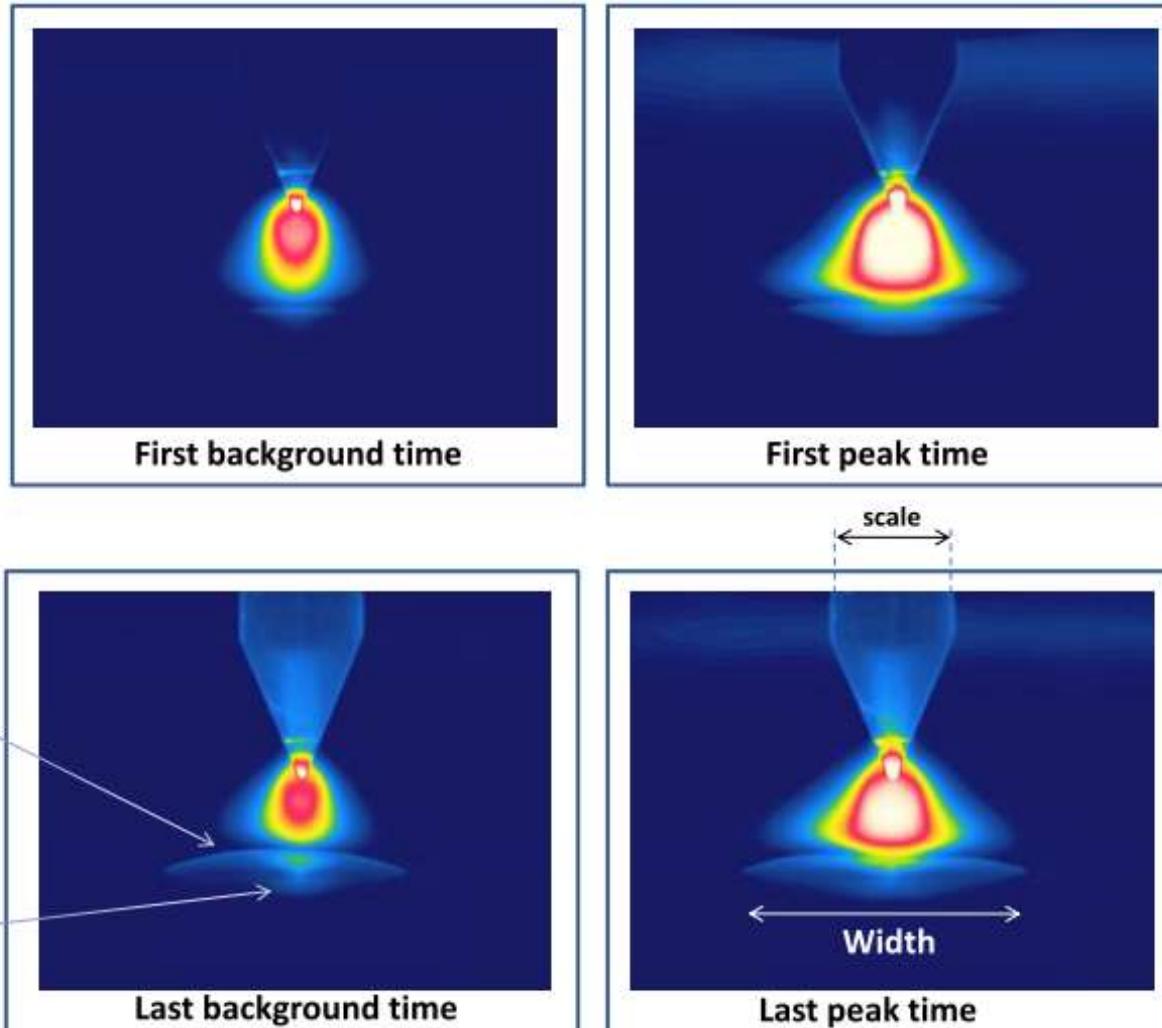
Solutions at $t=4.5$ s and $t=5$ s



Free surfaces shape at different times

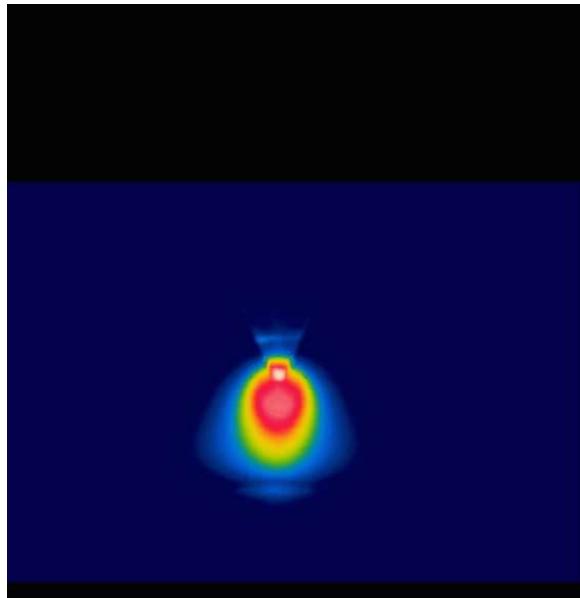
► Experimental procedure

► *Observation of the weld pool using an IR camera*

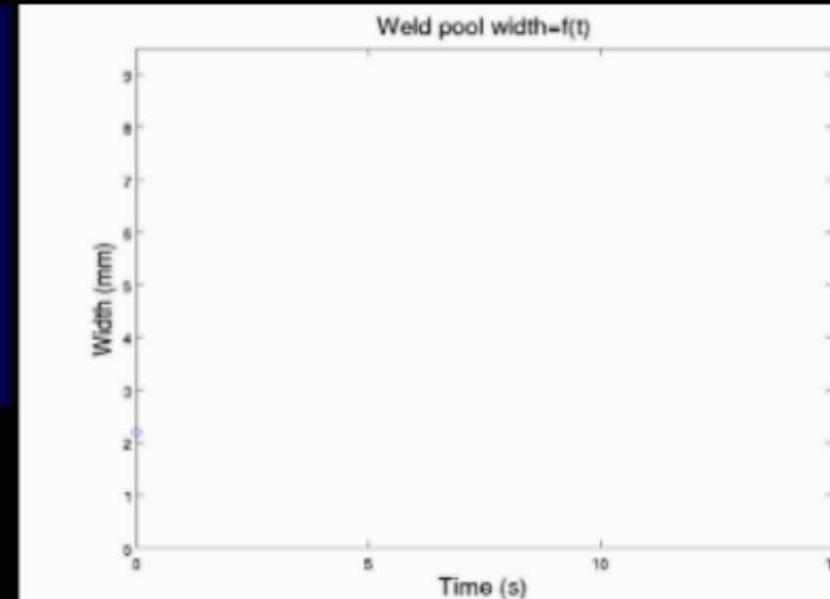


► Validation

► Experimental width of the weld pool

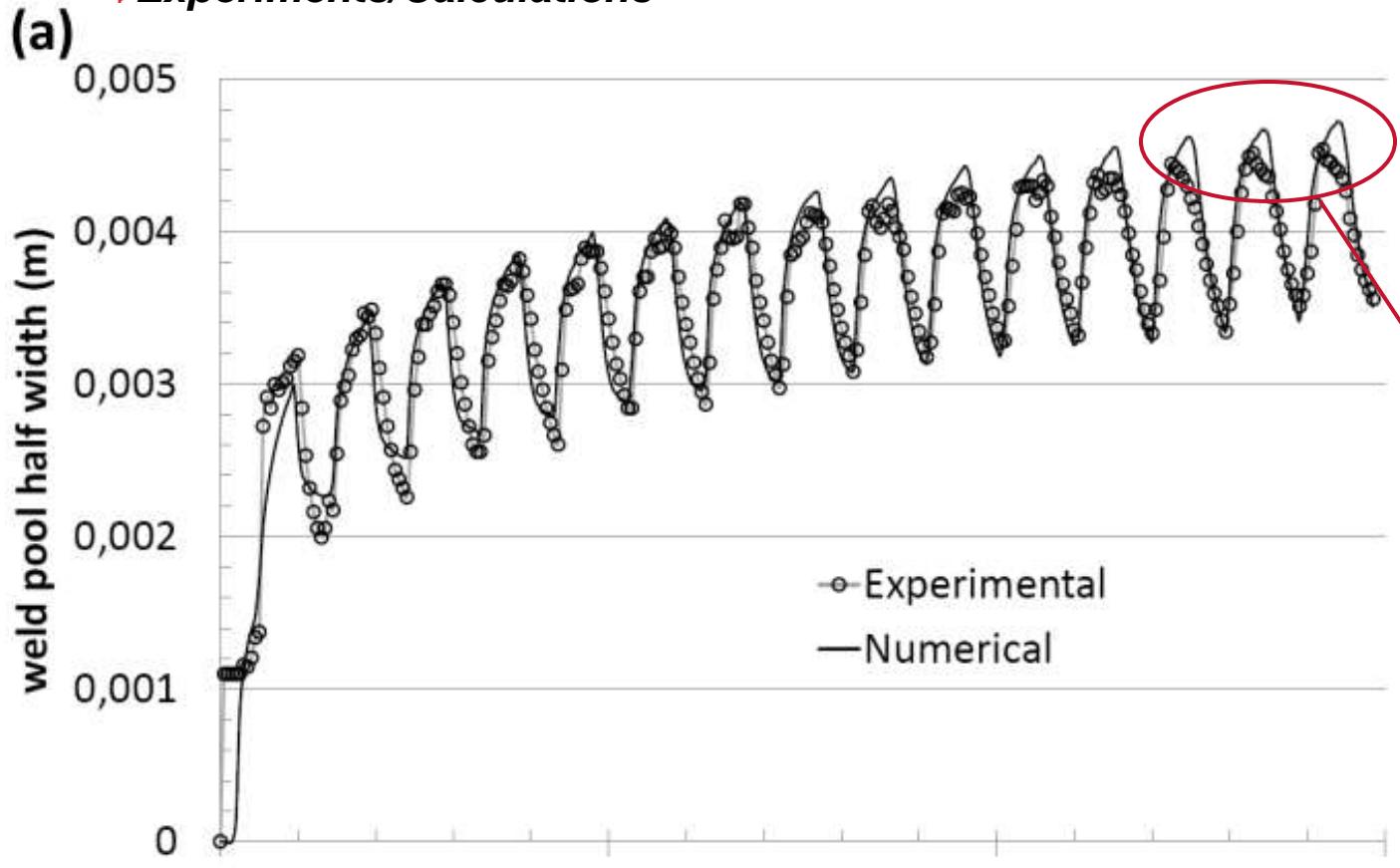


Matlab image processing algorithm

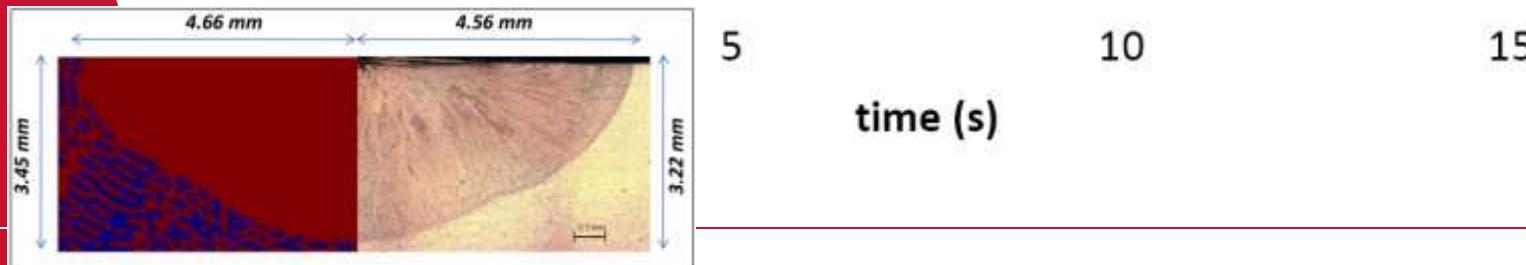


► Validation

► Experiments/Calculations



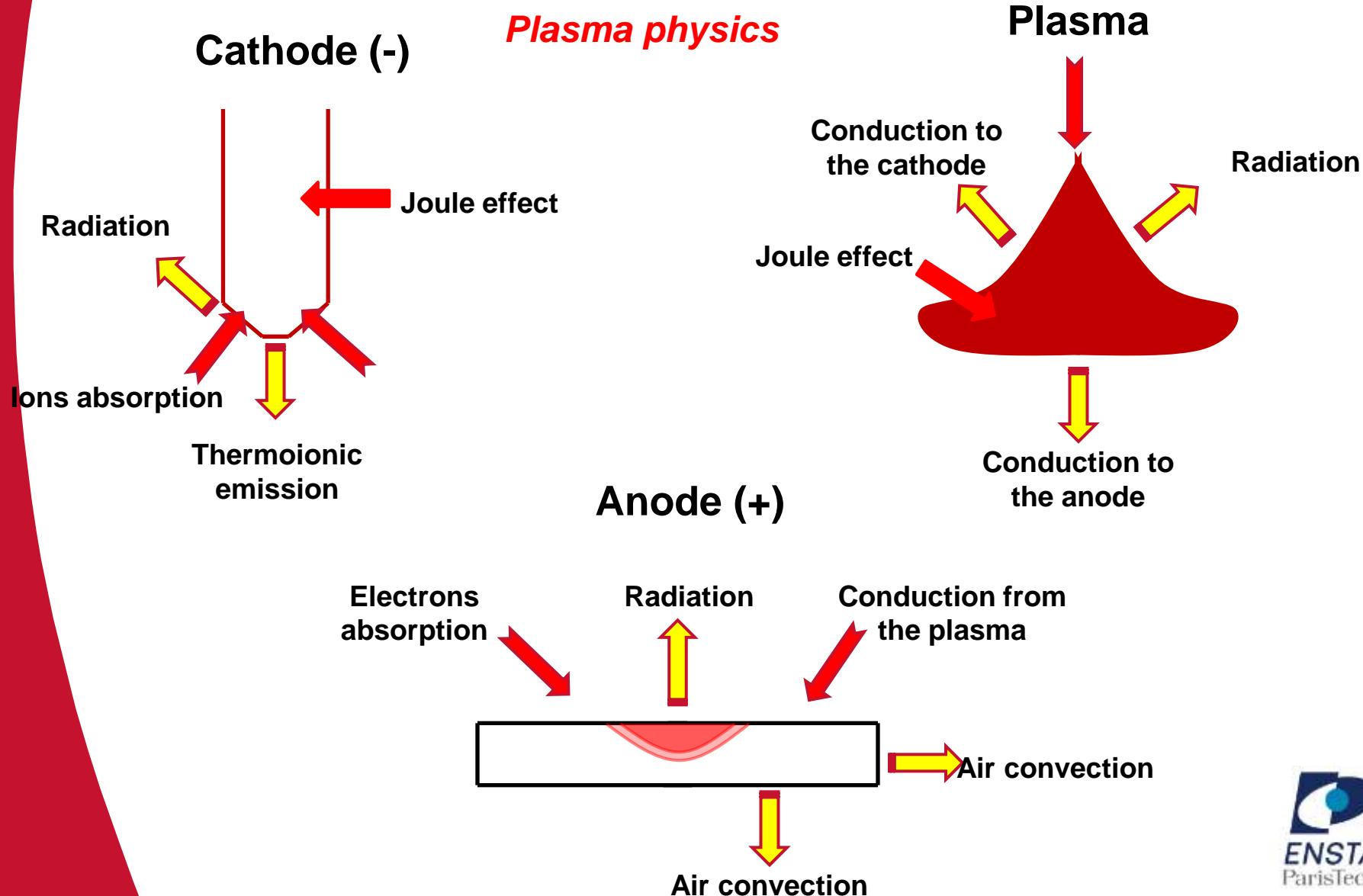
Accumulation of metal vapors in the arc plasma



Thank you for your attention,

Any questions ?

► Appendix A



► Appendix B *Application to pulsed current welding*80/160 A- 1 Hz
 α 60°- h 3 mm